

Granularity in the Semantics of Comparison

Helena Aparicio
Cornell University

`haparicio@cornell.edu`

joint work with



Curtis Chen (MIT)



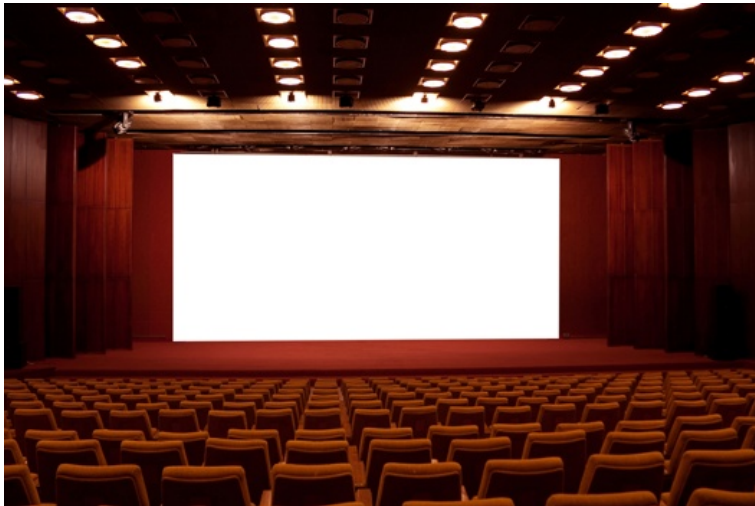
Elizabeth
Coppock (BU)



Roger Levy (MIT)

Imprecision & Gradable Adjectives

Positive Form Maximum Standard Adjectives

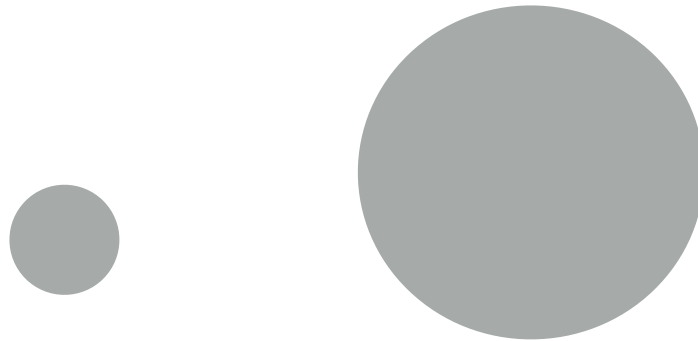


Empty movie theater

Kennedy & McNally, 2005; Kennedy, 2007; Syrett et al., 2009;
Solt, 2015; Aparicio et al., 2015; Leffel et al., 2016; Qin, 2020, a.o.

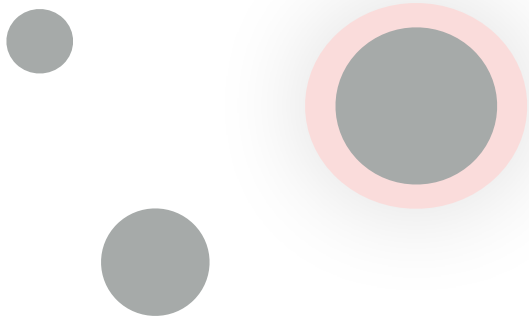
Definite Comparatives

The **bigger** circle.



Comparison Class

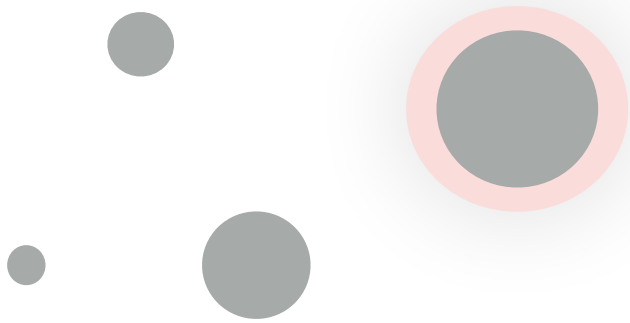
The **biggest** circle.



The **bigger** circle.

Comparison Class

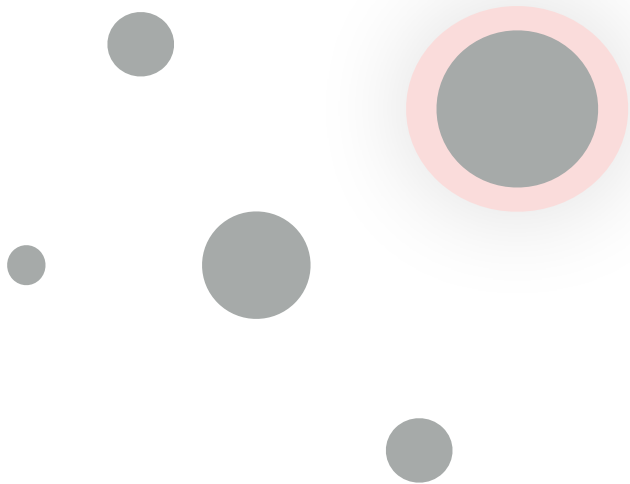
The **biggest** circle.



The **bigger** circle.

Comparison Class

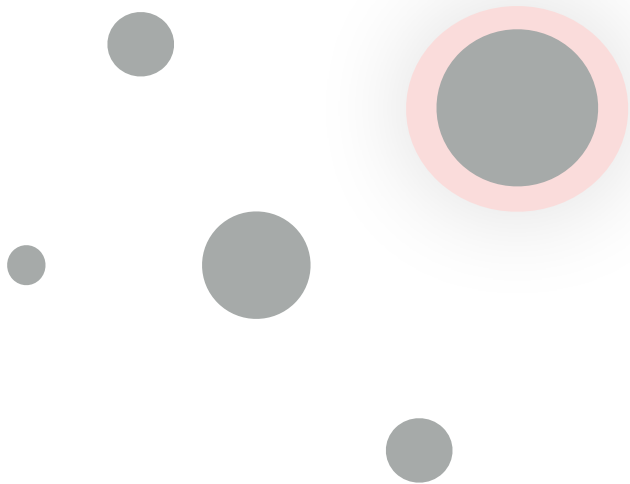
The **biggest** circle.



The **bigger** circle.

Comparison Class

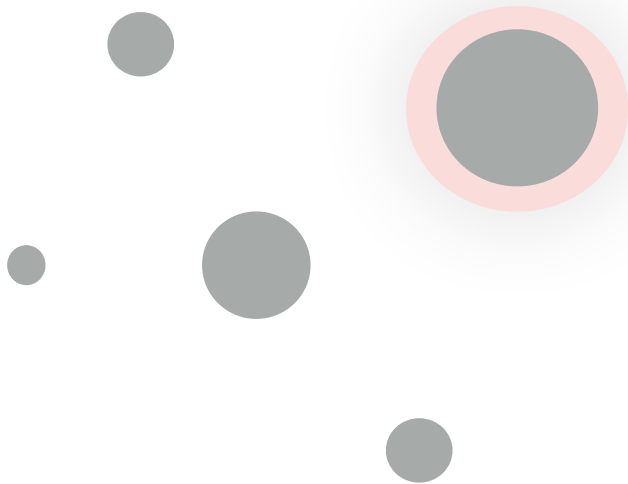
The **biggest** circle.



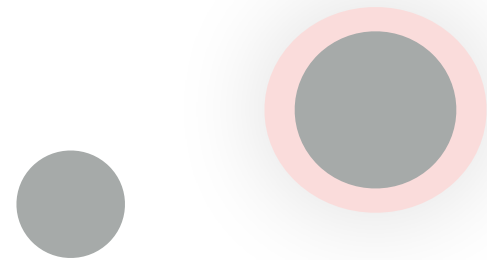
The **bigger** circle.

Comparison Class

The **biggest** circle.

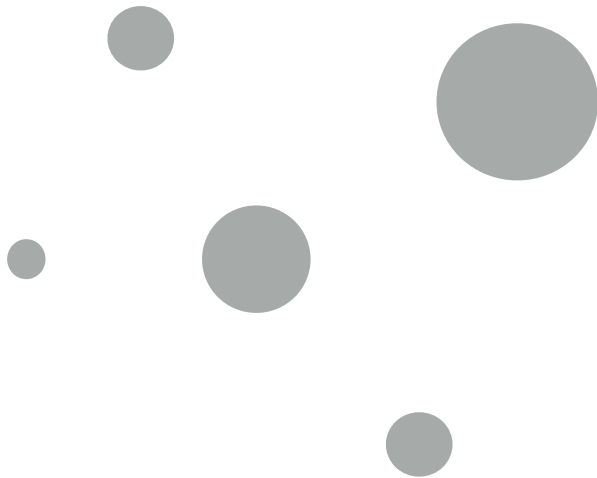


The **bigger** circle.

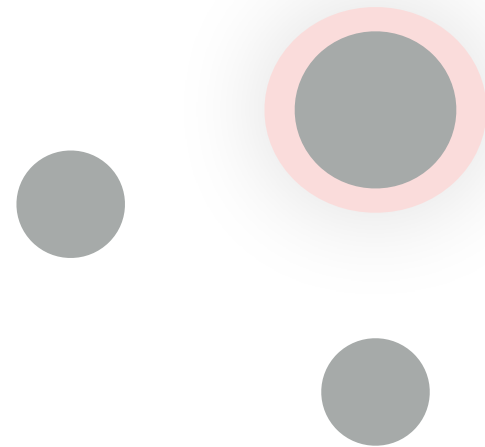


Comparison Class

The **biggest** circle.

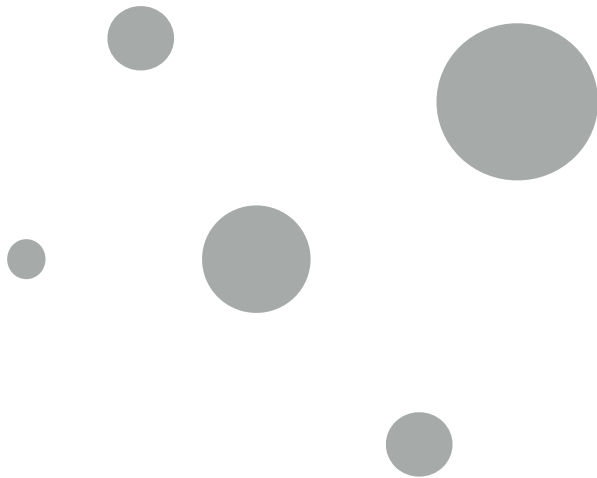


The **bigger** circle.

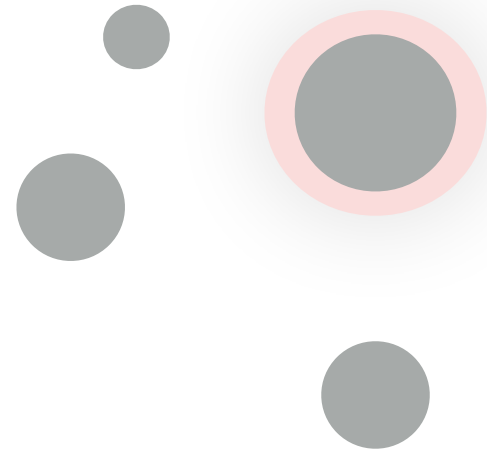


Comparison Class

The **biggest** circle.

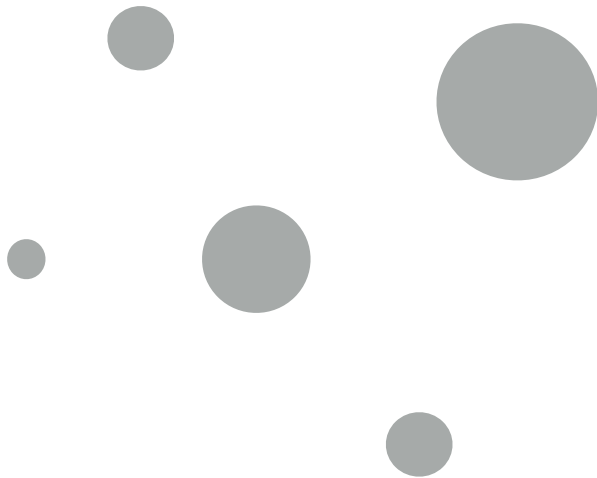


The **bigger** circle.

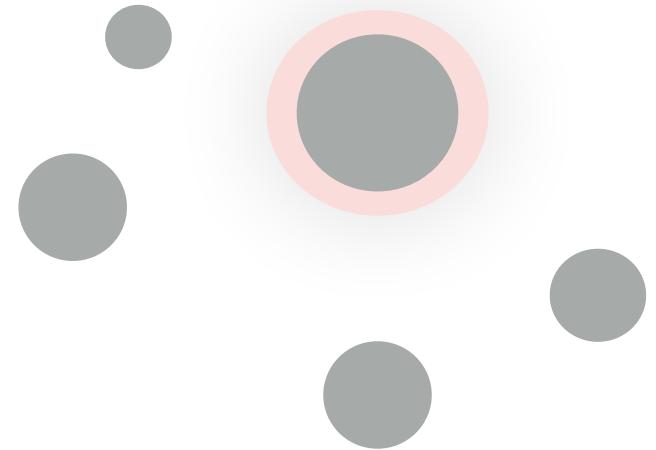


Comparison Class

The **biggest** circle.

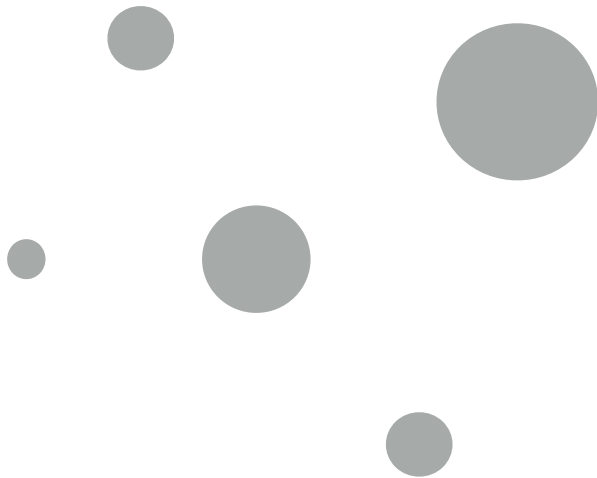


The **bigger** circle.

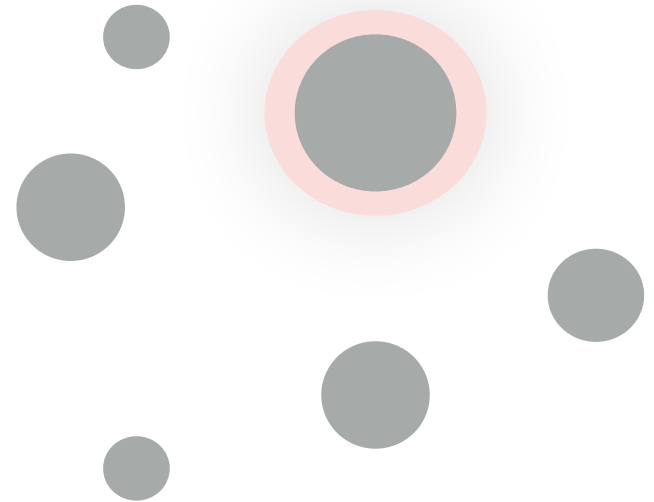


Comparison Class

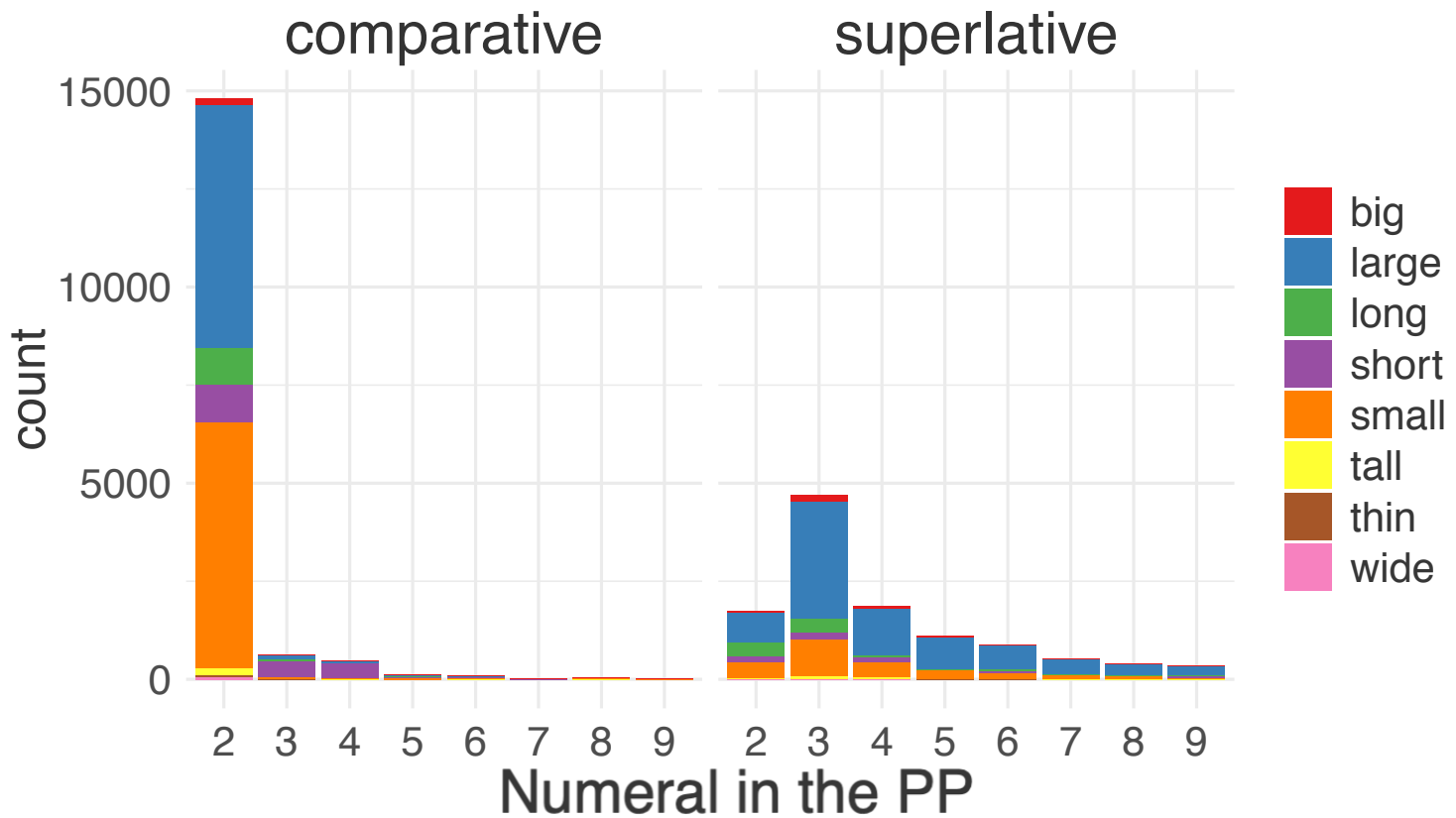
The **biggest** circle.



The **bigger** circle.



Corpus Data



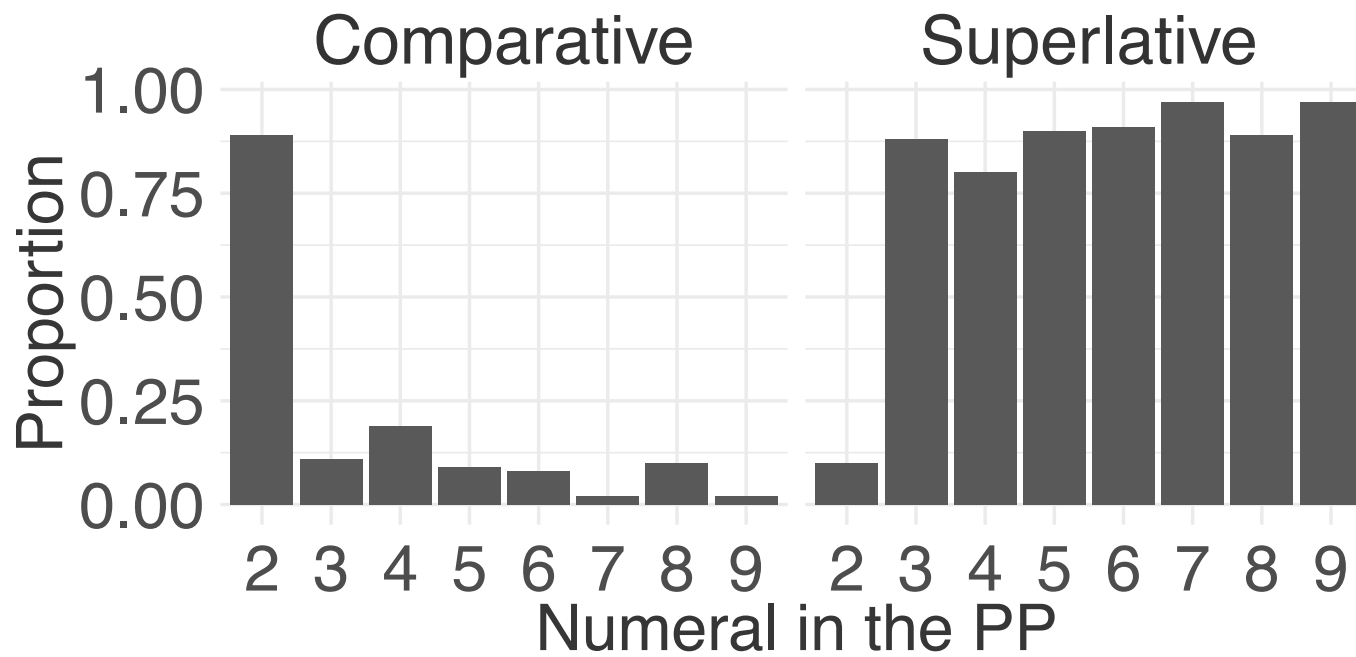
Query:

the [A] of [Num]

e.g., 'the smaller
of two'

Internet Archive Corpus
(English)

Corpus Data



Question

**What constraints Comparison Class calculation
of a definite comparative?**

2 Individuals (2I) Theory

$$(1) \quad [-er] = \lambda C_{\langle e,t \rangle} \lambda A_{\langle d, \langle e,t \rangle \rangle} \lambda x_e : x \in C \wedge |C| = 2.$$

$$\exists x' \in C : \max\{d | A(d)(x)\} > \max\{d | A(d)(x')\}$$

2 Degrees (2D) Theory

$$(2) \llbracket -er \rrbracket^\gamma = \lambda C_{\langle e,t \rangle} \lambda A_{\langle d, \langle e,t \rangle \rangle} \lambda x_e : x \in C \wedge |\gamma_{A,C}| = 2.$$

$$\exists d' \in \gamma_{A,C} : \max\{d \in \gamma_{A,C} \mid A(d)(x)\} > d'$$

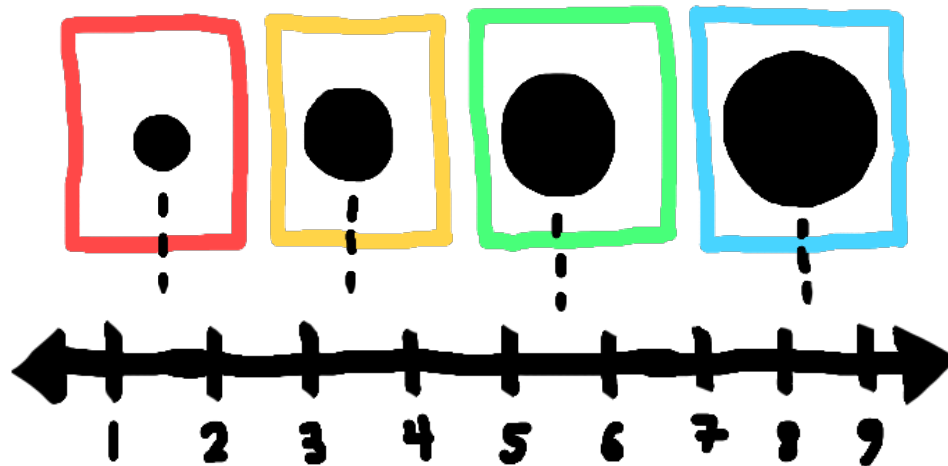
γ_A is a set of degrees of A -ness (a granularity of the A -scale)

$$\gamma_{A,C} = \{d \in \gamma_A : \exists x \in C : \max\{d' \in \gamma_A \mid A(d')(x)\} = d\}$$

Krifka (2007)



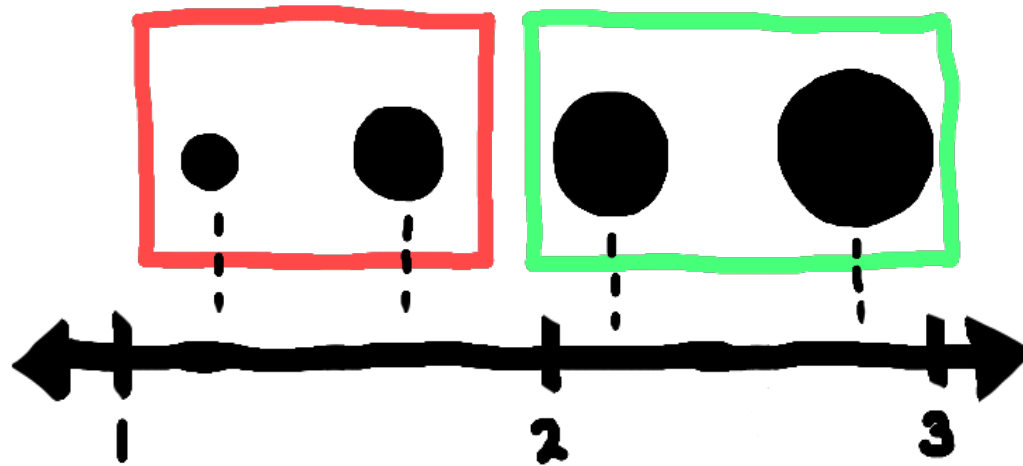
Granularity



$$|\gamma_{A,C}| = 2$$

X

Granularity



$$|\gamma_{A,C}| = 2$$



The Experiment

Experimental Task

This is the biggest circle.



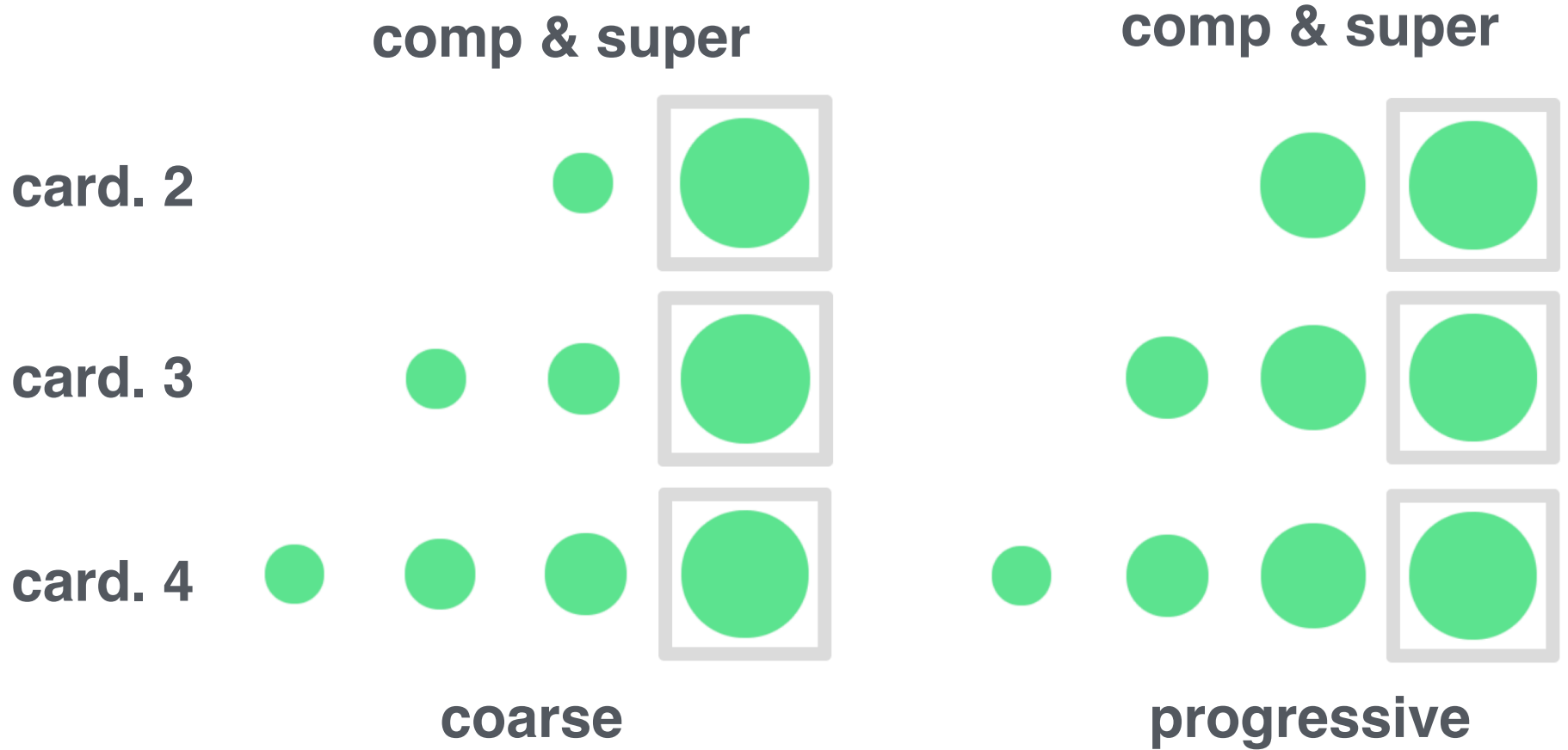
How acceptable is the above description of the scene?

(Bad) 1 2 3 4 5 6 7 (Good)

Back

Next

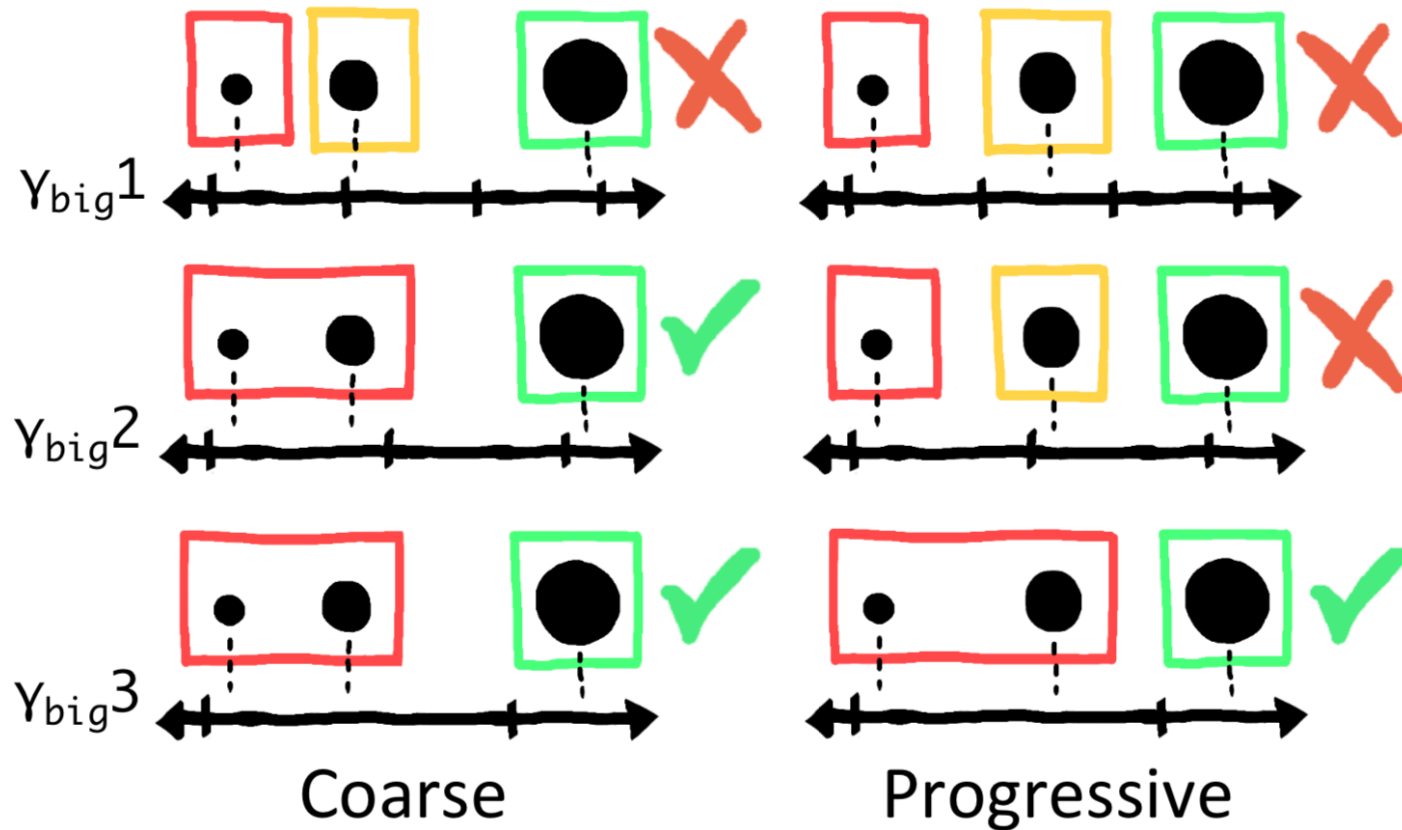
Study Design



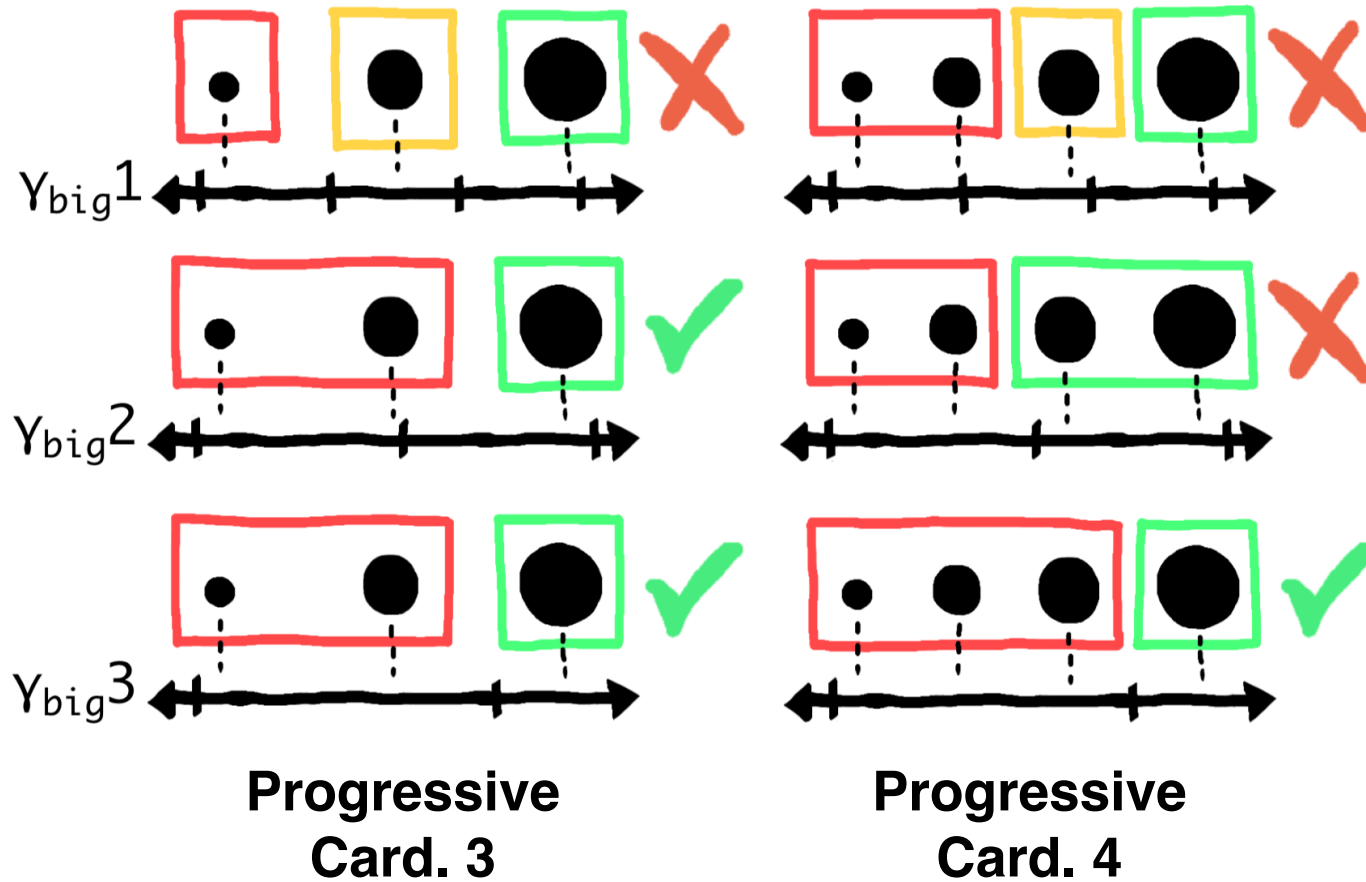
Linking Function

Acceptability of a description is modulated
by its reference failure potential

Linking Function



Linking Function

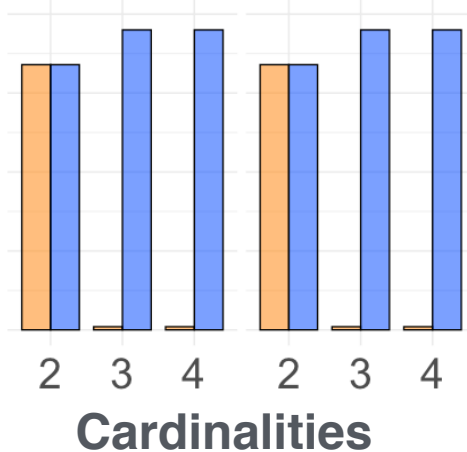


Qualitative Predictions

Predictions: Superlative

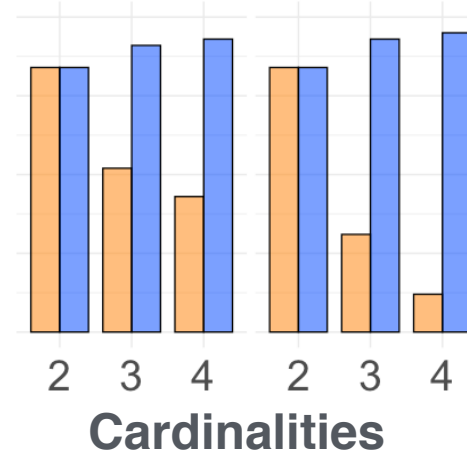
2Individuals

Coarse Progr.



2Degrees

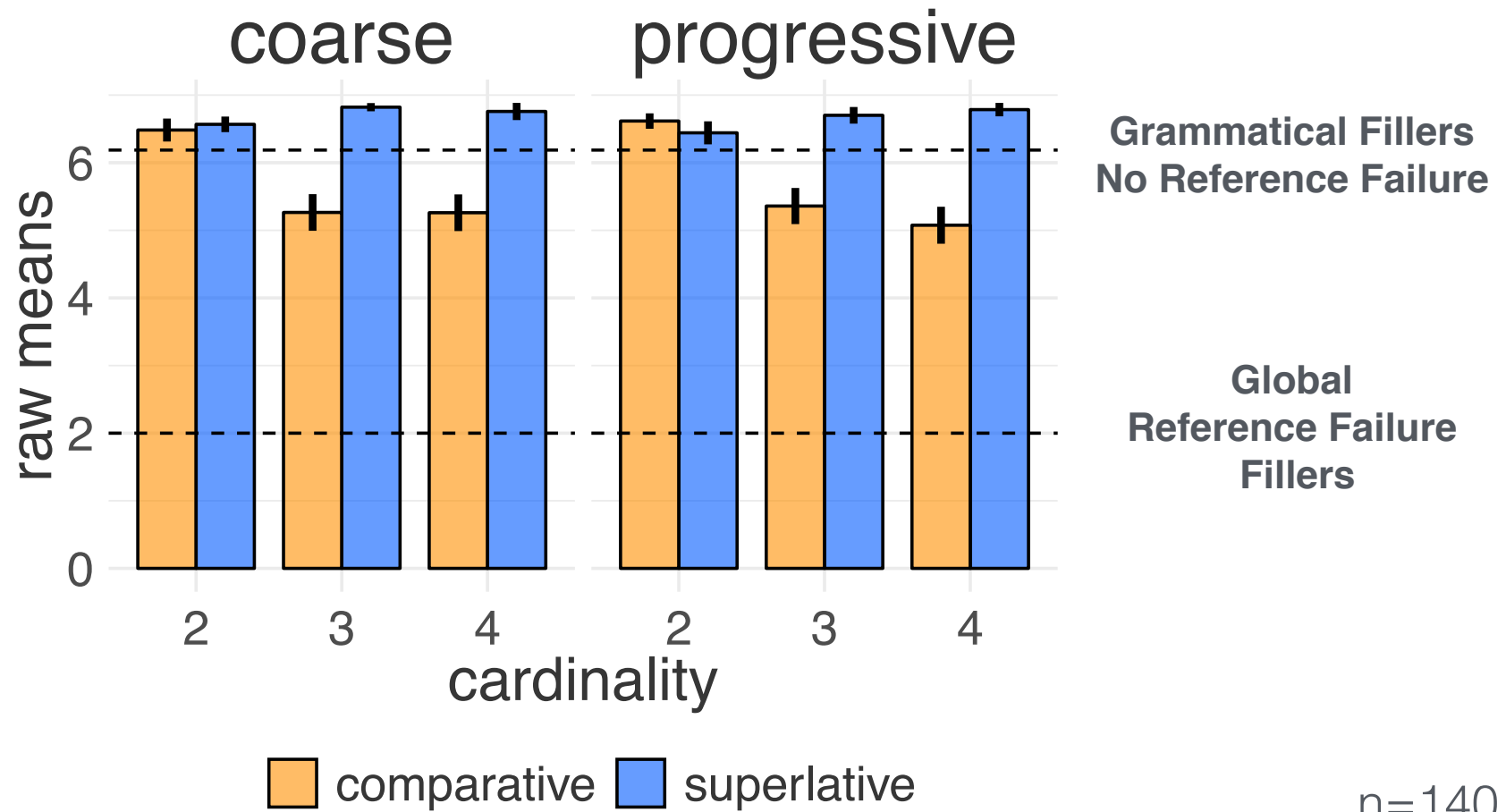
Coarse Progr.



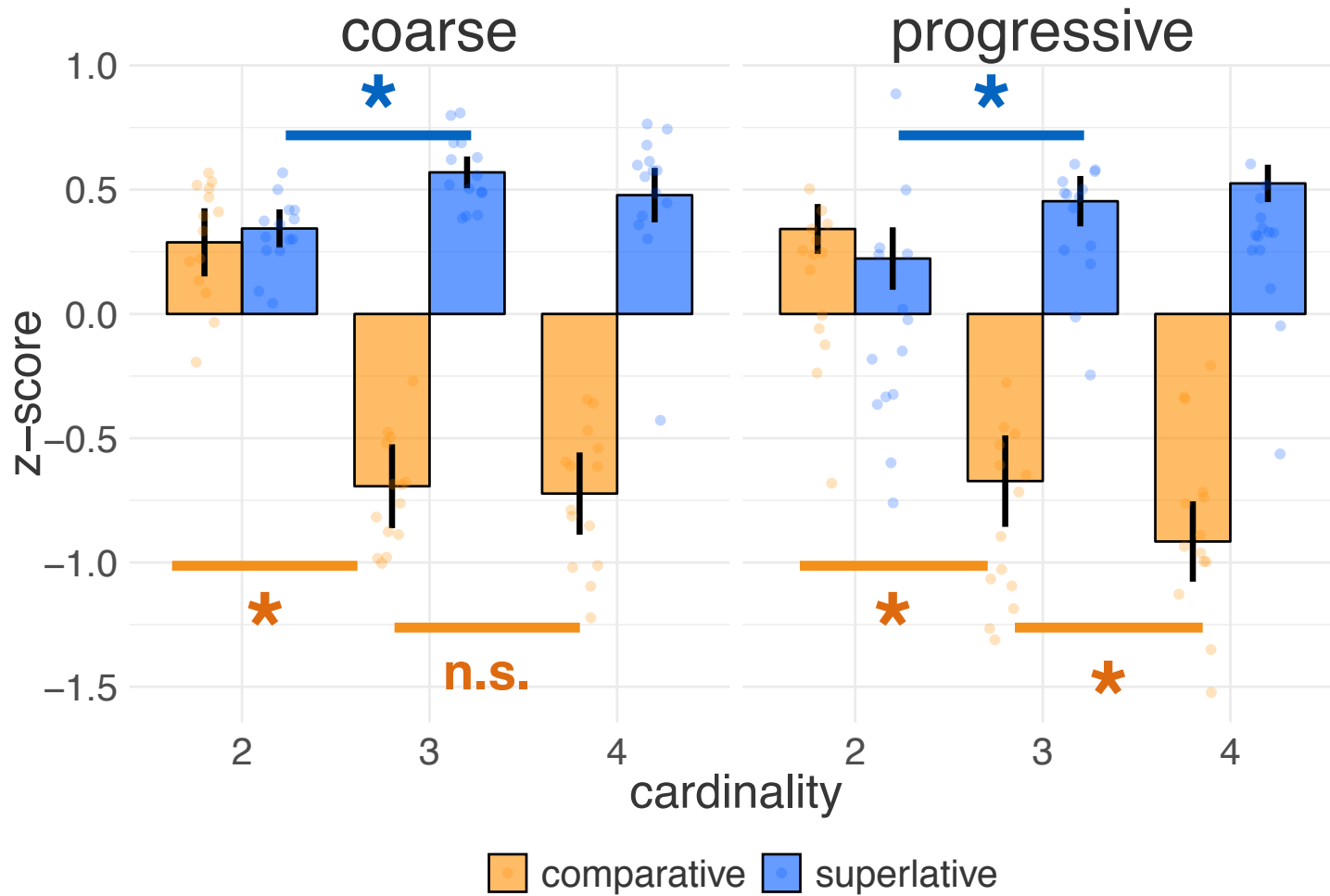
comparative superlative

Results

Results

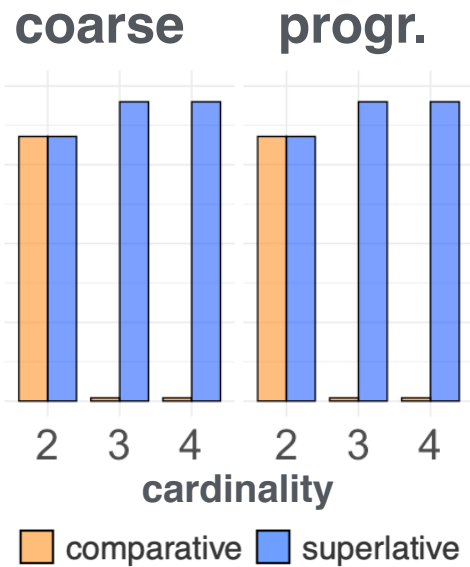


z-scored acceptability judgements

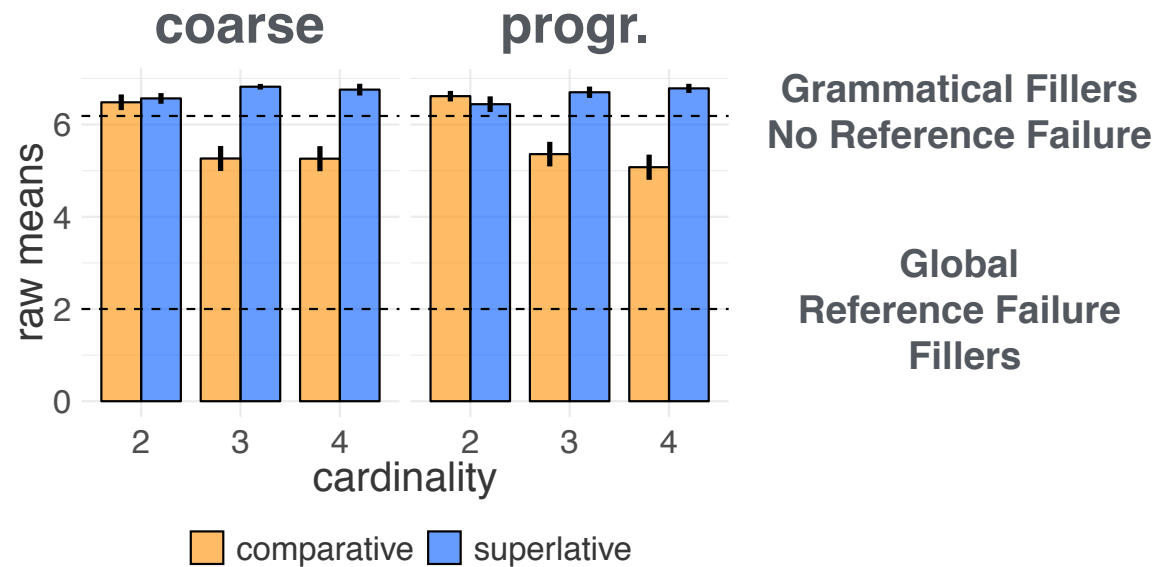


Discussion: 2Individuals

2Individuals Predictions



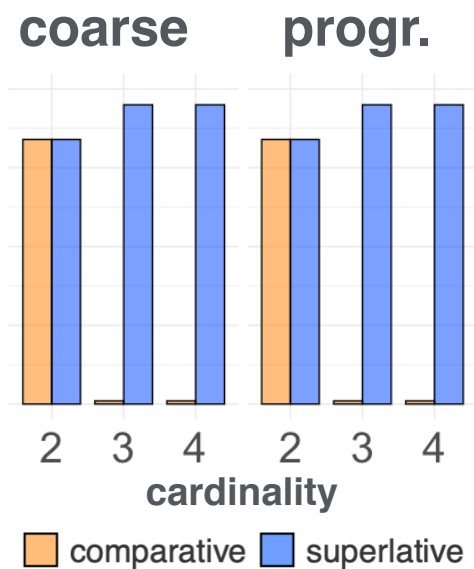
Experimental Results



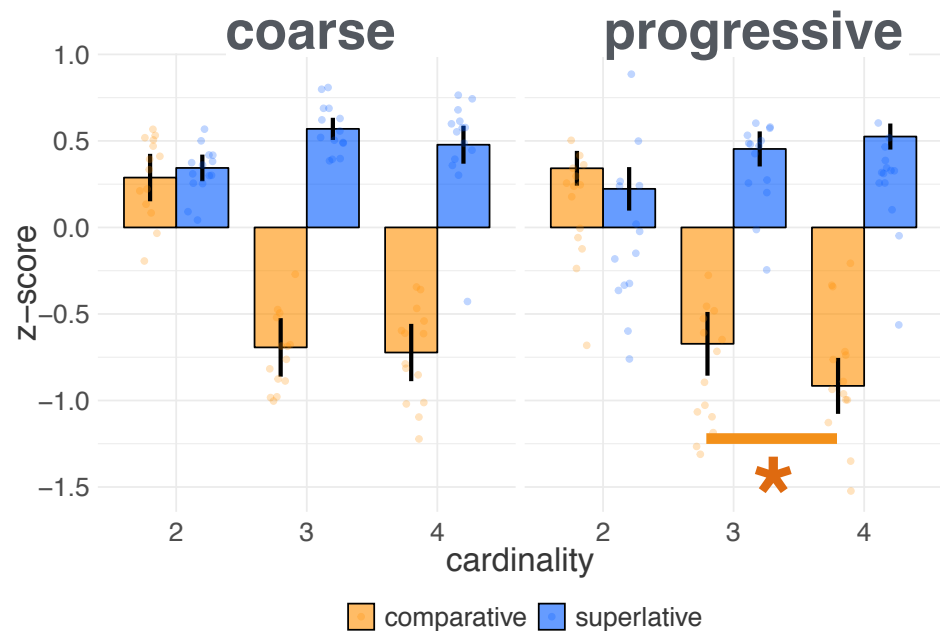
No global reference failure for the comparative at higher cardinalities

Discussion: 2Individuals

2Individuals Predictions



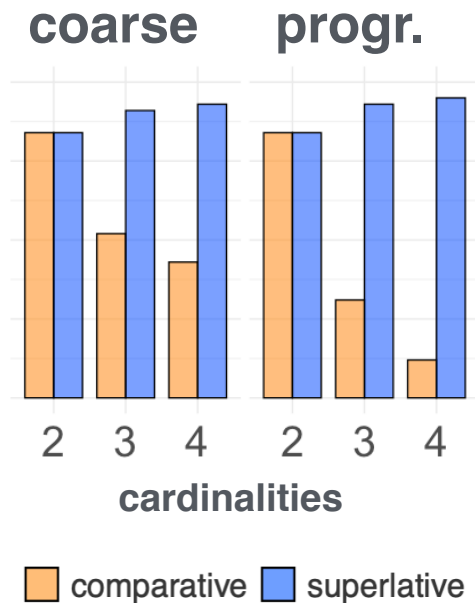
Experimental Results



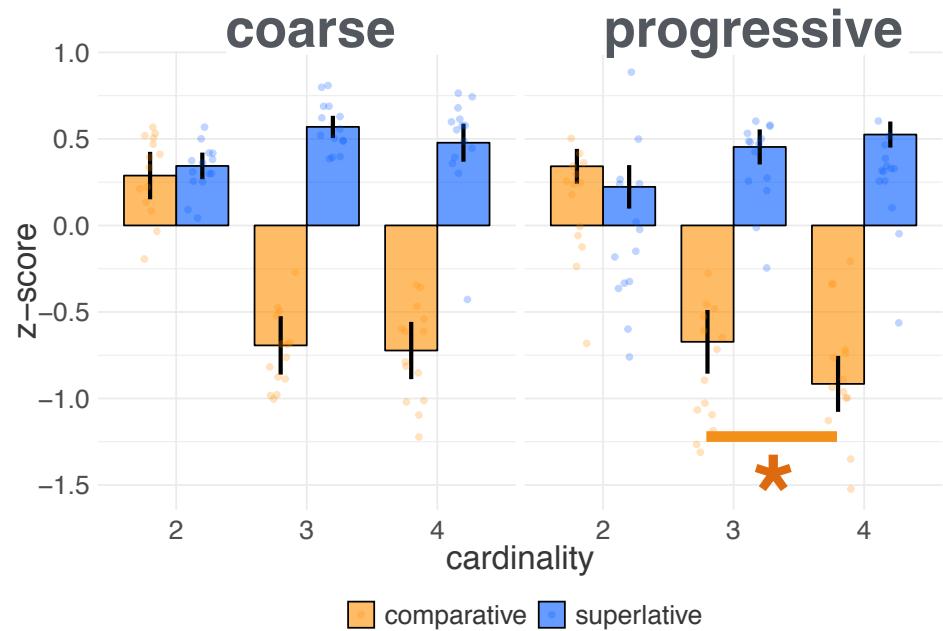
2I Theory does not predict gradient acceptability effects for comparative

Discussion: 2Degrees

2Degrees Predictions



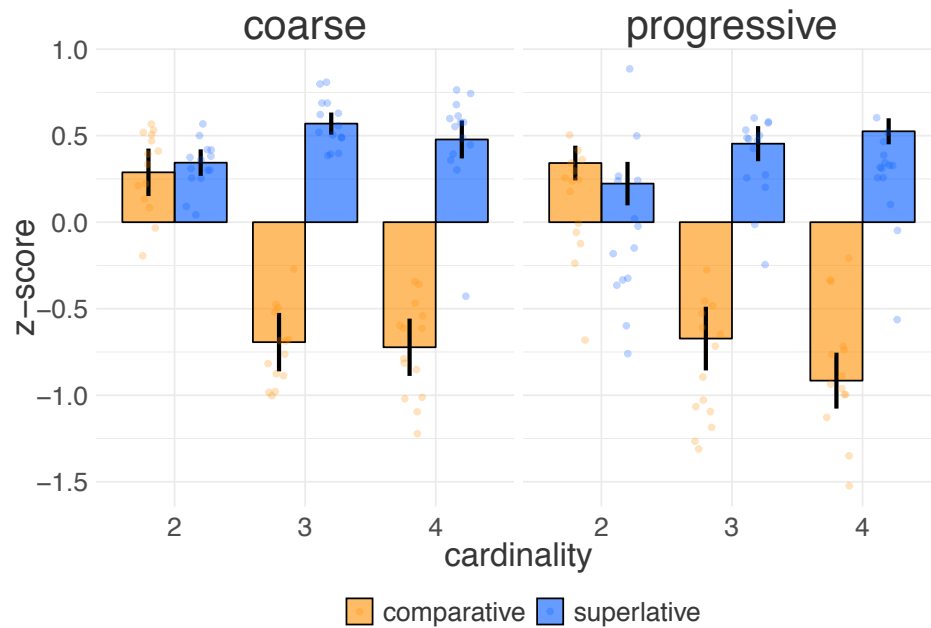
Experimental Results



2D theory predicted gradient acceptability effects for comparative

Interim Conclusion

- No global reference failure for comparative at higher cardinalities
- Gradient effects of acceptability for the comparative

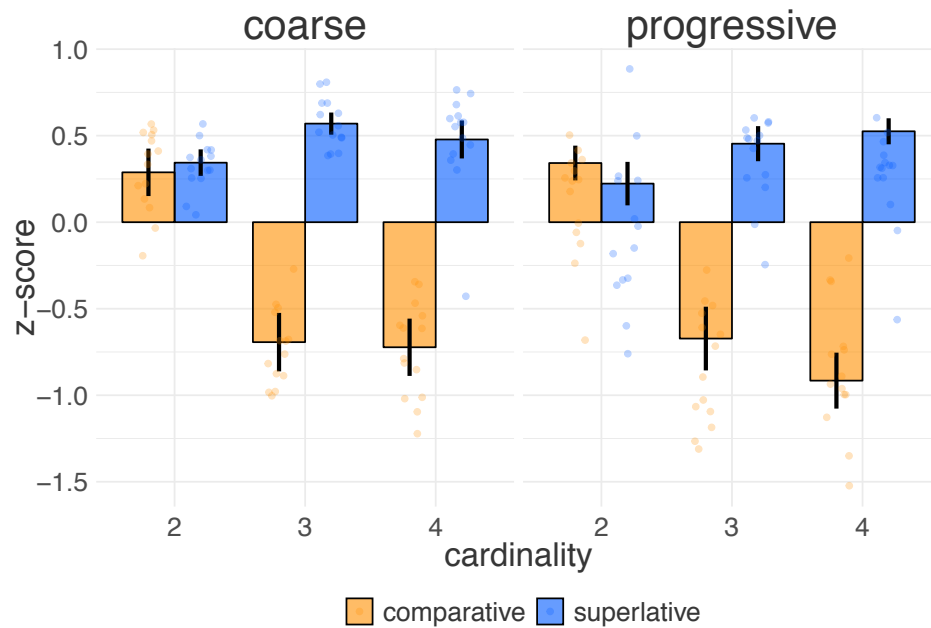


~~2Individuals Theory~~

2Degrees Theory

Interim Conclusion

- No global reference failure for comparative at higher cardinalities
- Gradient effects of acceptability for the comparative

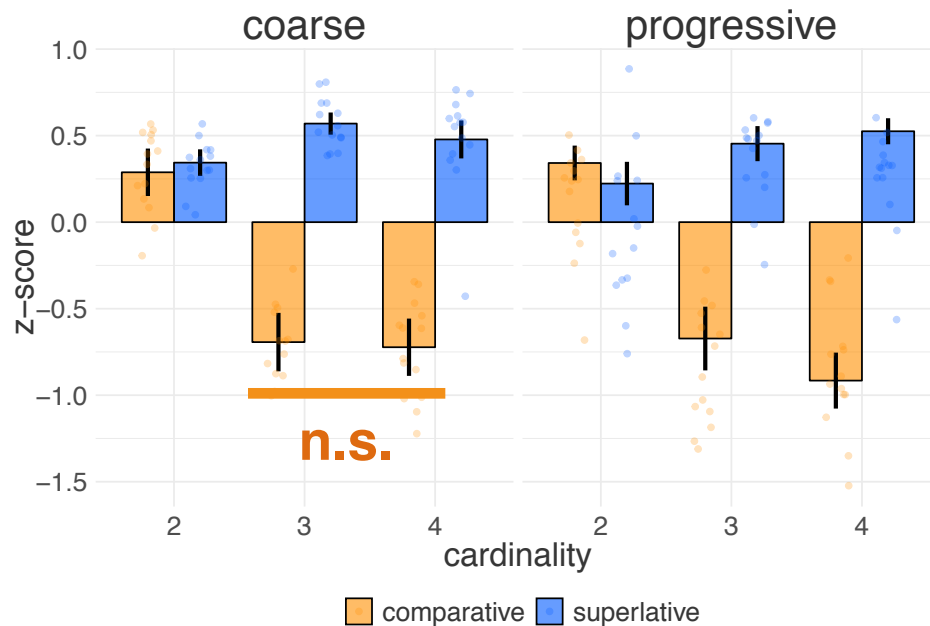


~~2Individuals Theory~~

2Degrees Theory ✓

Open Questions

⚡ Why no significant effect in coarse condition for comparative?



Proposal:
Penalty against
pragmatic weakening

$$|\gamma_{A,C}| = |C|$$

$$|\gamma_{A,C}| < |C|$$

(Cf. Schwarzschild 1996; Champollion 2016)

Computational Modeling

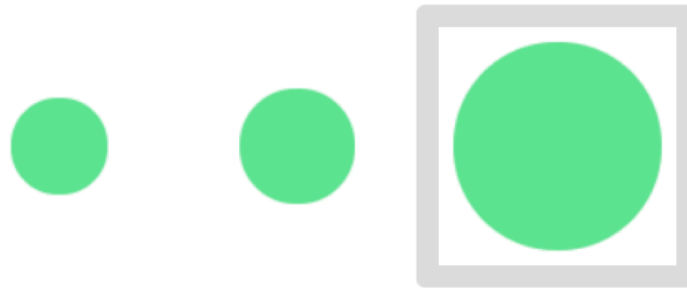
Rational Speech Act Models

- Probabilistic models of language interpretation
- Language understanding as social reasoning
- Speaker & Listener recursively reason about each other
- Formalization of Gricean pragmatics that uses Bayesian reasoning

Frank & Goodman (2012);
Goodman & Frank (2016)

Our Experiment in RSA

This is the biggest circle.



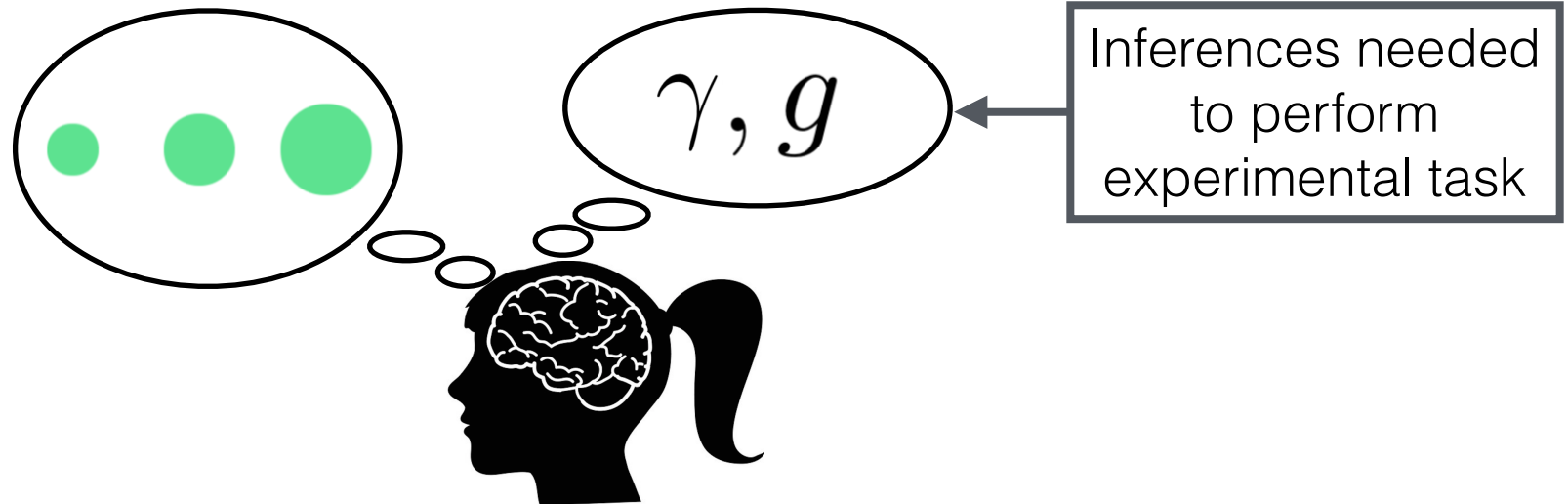
How acceptable is the above description of the scene?

(Bad) 1 2 3 4 5 6 7 (Good)

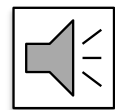
Back

Next

Modeling our Experiment in RSA



Pragmatic Listener (L1)



The bigger circle.

$$L_1(r, \gamma \mid d = \text{The bigger circle})$$

Pragmatic Listener (L1)

$L_1(r, \gamma \mid d = \text{The bigger circle})$



Bayesian Update

Pragmatic Listener (L1)

$$L_1(r, \gamma \mid d = \text{The bigger circle}) \propto$$

$$S_1(d = \text{The bigger circle} \mid r, \gamma) \cdot P(r) \cdot P(\gamma \mid d)$$

Likelihood

Priors

Speaker (S1)

- Utility defined as a trade-off between two communicative pressures:

$$S_1(d | r, \gamma) \propto \exp(\alpha \times \ln(L_0(r | d, \gamma))) - \text{cost}(d)$$

Maximize informativity of the utterance to the listener (efficiency)

Speaker (S1)

- Utility defined as a trade-off between two communicative pressures:

$$S_1(d | r, \gamma) \propto \exp(\alpha \times \ln(L_0(r | d, \gamma)) - \text{cost}(d))$$

**Minimize production cost
for the speaker (efficacy)**

Speaker (S1)

- Utility defined as a trade-off between two communicative pressures:

$$S_1(d | r, \gamma) \propto \exp(\alpha \times \ln(L(r | d, \gamma)) - \text{cost}(d))$$



Speaker and Listener models are mutually recursive

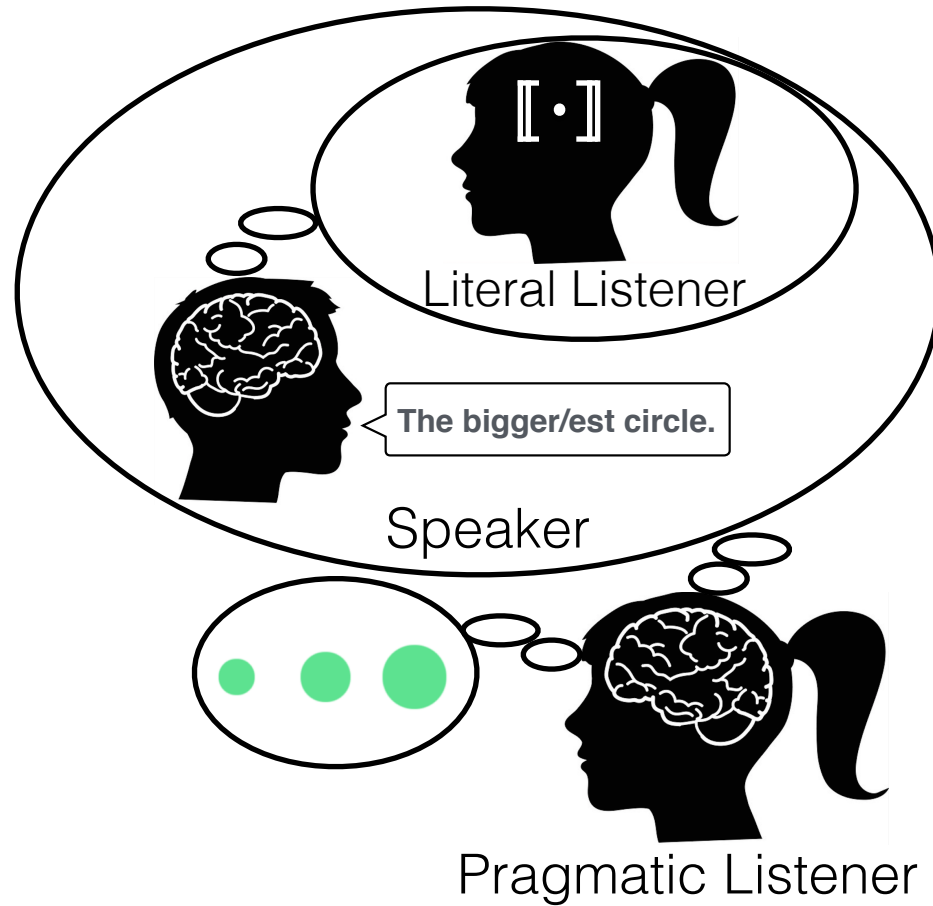
Literal Listener (L0)

- Grounds model in truth-conditional semantics

$$L_0(r \mid d, \gamma) \propto \llbracket d \rrbracket^\gamma(r) \cdot P(r)$$

$$P(r) = \begin{cases} \epsilon & \text{if } r = \text{fail} \\ \text{uniform} & \text{otherwise} \end{cases}$$

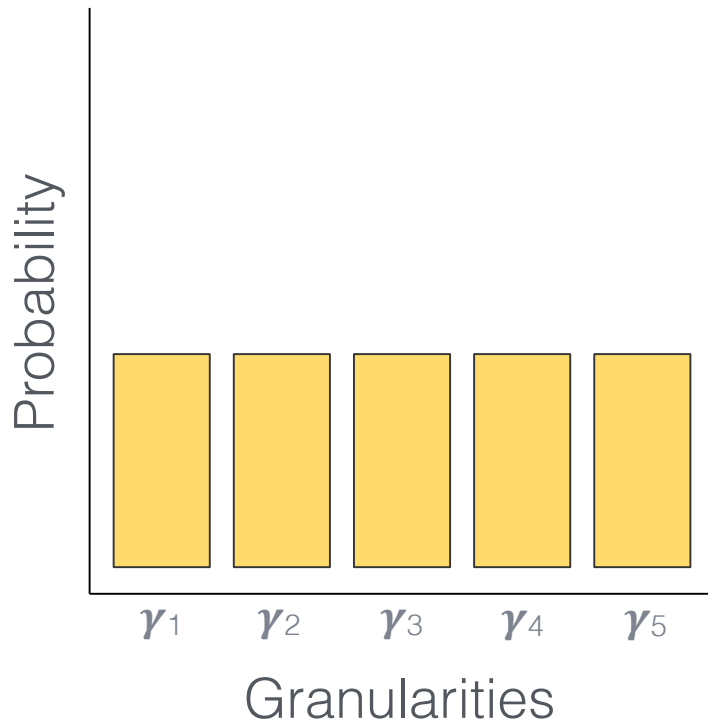
RSA Model



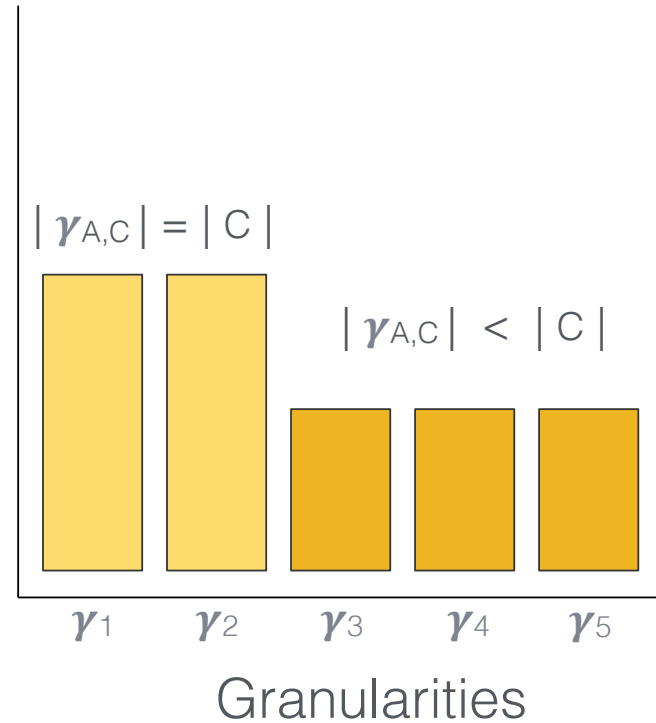
Pragmatic Weakening

Granularity Priors

Flat



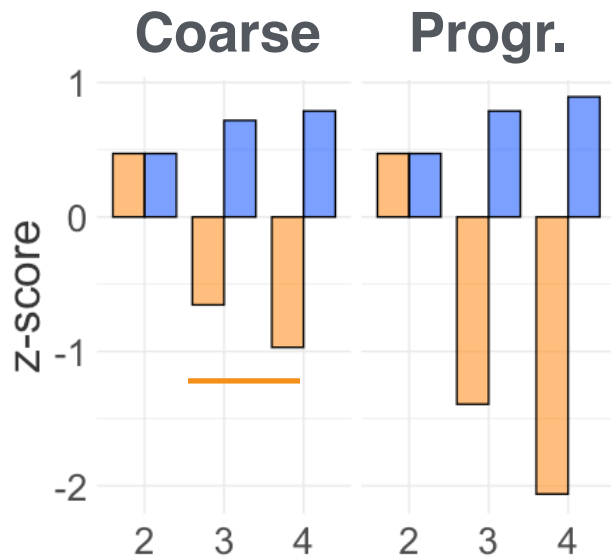
Skewed



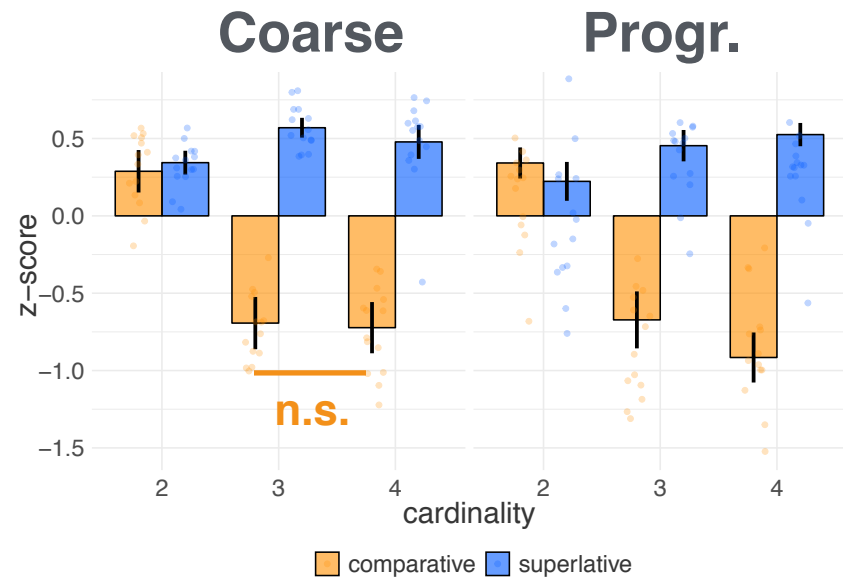
Simulations

Flat Granularity Prior

Model



Experiment

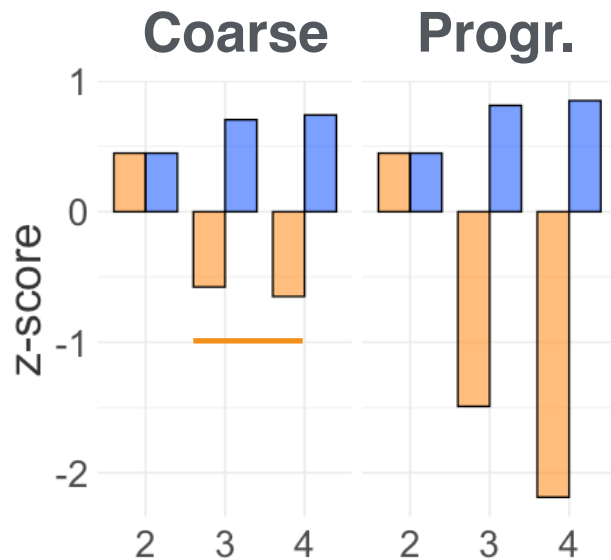


⚡ No significant effect in coarse condition comparative

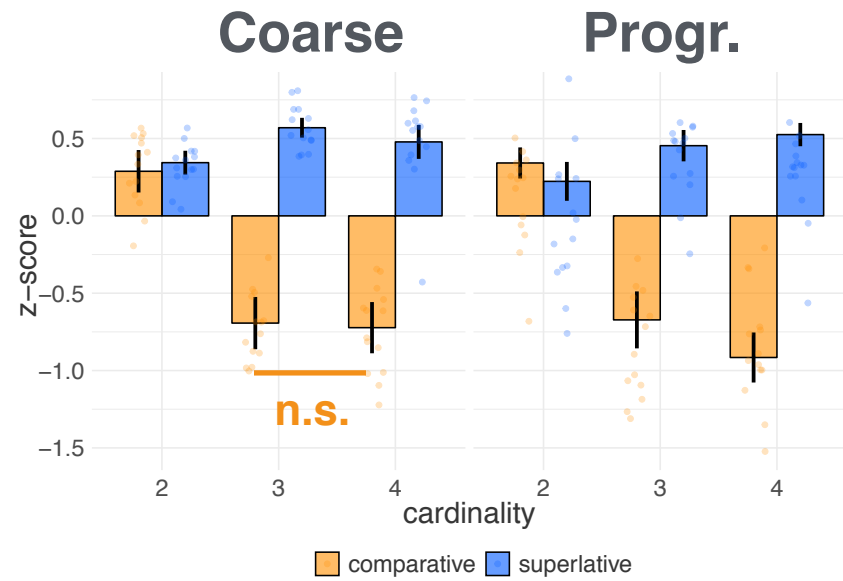


Skewed Granularity Prior

Model



Experiment



⚡ No significant effect in coarse condition comparative



Conclusion

1. Our experimental results are incompatible with 2Individuals Theory
2. Our results can be explained by the **2Degree Theory**
 - Listeners flexibly infer a granularity that satisfies the semantic requirements of the definite comparative
3. 2Degrees Theory alone fails to account for lack of effect for the comparative in Coarse condition
 - Post hoc computational modeling: dispreference for pragmatic weakening

Thank you